

Fault Diagnosis Based on Improved Bayesian Classifier in Power Communication Network

Yang Zhou¹, Juhong Tian², Li Yu²

¹(State Grid Jiangxi Electric Power Corporation Information Communication Branch, No.666, HubinRD east, Qingshanhu District, Nanchang City, Jiangxi Province, 330000, China)

²(School of Electronic Information and Communication, Huazhong University of Science and Technology (HUST), Hongshan District, Wuhan, Hubei Province Luo Yu Road 1037, 430074, China)

Abstract: Fault diagnosis is one of the most important tasks in network fault management. However, the traditional network fault diagnosis technologies cannot deal with incomplete information. Besides, they don't have good learning ability and fault-tolerant feature. In this paper, we present a knowledge-based diagnosis method called selective hidden naive bayesian (SHNB) classifier to diagnose power communication network fault. It selects parts of strong dependent relations' attributes as hidden parent for each attribute according to conditional mutual information. Compared to naive bayes (NB), tree augmented naive bayesian (TAN), hidden naive bayes (HNB), our experiments show that SHNB algorithm outperforms three other algorithms in accuracy, and has lower complexity compared to HNB and TAN. In addition, SHNB algorithm possesses good learning ability. As the same time, its fault-tolerant feature can deal with incomplete information very well.

Keywords: fault diagnosis, bayesian classifier, SHNB

I. INTRODUCTION

Power communication network is crucial in maintaining the power grid system functions, reliable operation and safe production. what is more, it is easy to affect network adjustment and cause the whole power grid function obstacle when the power communication networks break down. Fault diagnosis can allow networks to operate reliably and stably by discovering the faults and recovering faults. Hence, how to diagnose the power communication network fault fast and accurately is important.

The early power communication network fault diagnosis is entirely based on the human operator's expertise. However, it proved to be difficult to maintain network in operating reliably and stably. Besides, the amount and complexity of status information generated by the fault makes it impossible to perform fault management efficiently. Therefore, automating fault diagnosis appears very critical in large and complex communication network.

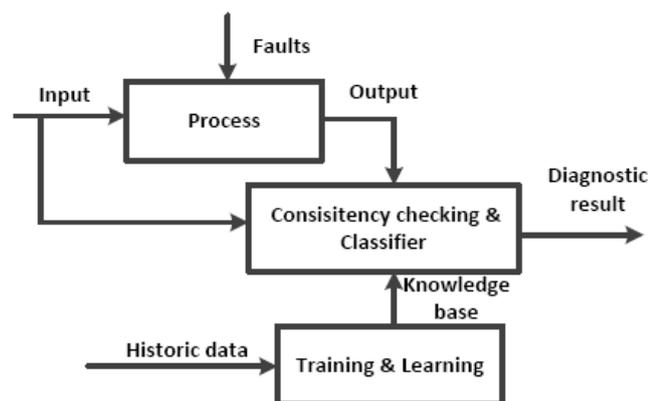


Fig. 1. The schematic of knowledge-based fault diagnosis approaches

Numerous efficient and practical fault diagnosis techniques have been presented in recent several decades [1], [2], such as signal-based fault diagnosis, model-based fault diagnosis, knowledge-based fault diagnosis. Signal-based fault diagnosis methods including frequency-domain signal-based method, time-domain signal-based method, and time-frequency signal-based method have a wide application in real-time monitoring and diagnosis [3], [4]. The signal symptom of a system under a healthy status is a priori knowledge and diagnostic decision is made based on the symptom analysis and prior knowledge. Model-based method is a

frequently used diagnosis method in the network diagnosis [5], [6]. For this method, the practical power communication network systems are required to be available and the models which serves as representation of the real system. The virtue of this method is its straightforwardness, robustness, and ease of use. However, for complicated power communication network systems, a large amount of historical data, rather than a model or a signal pattern, is available. Hence, it is difficult to acquire the priori knowledge or known models.

Different from signal-based methods and model-based methods which require either a priori known signal patterns or model, knowledge-based fault diagnosis approaches start from where only a large volume of historic data is available. And its schematic is depicted in Fig. 1. It diagnoses fault by checking consistency between the observed behavior of the system and the knowledgebase. The main knowledge-based methods include rule-based system [7], support vector machines (SVMs) [8], artificial neural networks (ANNs) [9], decision trees [10] and bayesian classifier [12]. Their advantages and disadvantages are detailed in the Table 1.

Rule-based diagnosis methods take the form "IF syndrome, THEN fault" to locate a fault [7]. Obviously, it bases on the abundance of knowledge and doesn't have good learning ability. Decision trees [10] are an improvement over rule-based methods. This method builds a decision tree using the most discriminative symptom as its starting point, and final fault are available as the leaf nodes of the tree. This method is not only easy to use but also shortens the test time. However, specific applications limit its applicability. ANNs [9] have an advanced fault-tolerant ability. But its drawbacks are long training periods and off-line training. SVMs [8] is a relatively new machine learning technique relying on statistical learning theory, which is able to achieve high generalization and to deal with problems with low samples and high input attributes. But it is difficult to handle the problem of multiple classification. Bayesian classifier [15] is a very effective classification method based on probability density function. Naive bayesian (NB) classifier is one of most simplest classifier. And it successfully used in many areas widely [11], [13], [16] due to its simplicity and effectiveness. However, the conditional independence assumption in NB is rarely true in reality. Especially for the power communication network, a fault may cause a set of alarms and many symptoms have strong dependent relations. What's more, fault evidences may also be inaccurate on account of spurious alarms, which are generated by transient problems or as a result of overly sensitive fault detection mechanisms. Hence, it's necessary to consider dependent relations between the symptoms at the time of diagnosing fault.

Table 1: Fault diagnosis methods' advantages and disadvantages.

Fault diagnosis method	advantages	disadvantages
Decision trees	visualized	specific applications
Bayesian classifier	quick, good learning ability	weak in features combination
SVMs	high generalization	complex in multiple classification
Rule-based system	strong logic reasoning ability	poor learning ability
ANNs	advanced fault-tolerant	long training periods

In this paper, we propose an improved bayesian classification algorithm called selective hidden naive bayesian (SHNB) algorithm to diagnose fault in power communication network. It selects parts of strong dependent relations' attributes as the hidden parent for each attribute. Our motivation is to develop a novel algorithm to reduce the test time and still has high diagnosis accuracy compare to other bayesian classification algorithm. We test SHNB in terms of diagnosis accuracy and test time based on the historical fault case, compared to NB, tree augmented naive bayesian (TAN) [17], and HNB [14] in the experiment. The experimental results show that our classification algorithm has higher diagnosis accuracy and lower diagnosis time. In addition, this algorithm embody fault-tolerant feature and can handle missing information.

The rest of the paper is organized as follows. In section II, we introduce bayesian classifier. Then, we present our SHNB model and algorithm. The experiments and results based on SHNB classifier is described in the section IV. Conclusions are given in the final section.

II. BAYESIAN CLASSIFIER

Bayesian classifier is a statistical classification method, which classifies an instance by determining its probability belonging to a class label. Assuming n attributes $A_1, A_2 \dots A_n$ (corresponding to attribute nodes in bayesian model), an example E is represented by a vector $\langle a_1, a_2 \dots a_n \rangle$, where a_i is the value of attribute A_i . We use C to represent the class variable (corresponding to the class node in a bayesian model), c is the value of C and $c \in C$. $c(E)$ denotes the class label E belonging to. The classifier represented by a general Bayesian network is defined as:

$$c(E) = \underset{c \in C}{\operatorname{argmax}} P(c)P(a_1 a_2 \dots a_n | c) \quad (1)$$

Assume that all attributes are independent given the class label, the resulting classifier is called naive bayesian (NB). It is defined as follows:

$$c(E) = \underset{c \in C}{\operatorname{argmax}} P(c) \prod_{i=1}^n P(a_i|c) \quad (2)$$

NB classifier is a popular learning algorithm for data mining applications due to its simplicity and linear run-time. However, the independent assumption is not always invalid in the real world. The performance become poor when the assumption is violated. HNB [14] is an improved NB model where each attribute has a hidden parent which considers the influences from other attributes. Fig. 2 shows the structure of an HNB. In Fig. 2, C is the class node, and each attribute A_i has a hidden parent A_{hpi} , expressed by a dashed circle.

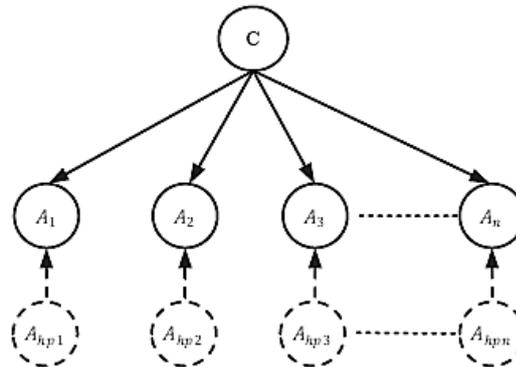


Fig. 2. The structure of HNB

The classifier corresponding to an HNB is defined as follows:

$$c(E) = \underset{c \in C}{\operatorname{argmax}} P(c) \prod_{i=1}^n P(a_i|a_{hpi}, c) \quad (3)$$

where $P(a_i|a_{hpi}, c)$ is the conditional probability of the attribute and its hidden parent defined as:

$$P(a_i|a_{hpi}, c) = \sum_{j=1, j \neq i}^n W_{ij} * P(a_i|a_j, c) \quad (4)$$

We determine the weights W_{ij} by using the conditional mutual information between two attributes A_i and A_j in the [14], and W_{ij} is defined as:

$$W_{ij} = \frac{I_p(A_i; A_j|C)}{\sum_{j=1, j \neq i}^n I_p(A_i; A_j|C)} \quad (5)$$

where $I_p(A_i; A_j|C)$ is the conditional mutual information and is defined as:

$$I_p(A_i; A_j|C) = \sum_{a_i, a_j, c} P(a_i, a_j, c) \log \frac{P(a_i, a_j, c)}{P(a_i|c)P(a_j|c)} \quad (6)$$

Compared to other improved models for relaxing naive bayesian, HNB has a better performance. However, it costs too much test time on high dimensional data sets. In fact, the number of correlative attributes is further lower than the number of all attributes. And taking all attributes into account may increase the noise and decrease classification efficiency. Our purpose is to propose a practical classifier algorithm which can reduce the complexity and increase the classification accuracy.

III. SELECTIVE HIDDEN NAIVE BAYESIAN MODEL

In this section, we put forward a selective hidden naive bayesian (SHNB) model, which can reduce the classification complexity and close to the practical situation compared to HNB. The structure of SHNB is shown in Fig. 3, where C is the class node which points all attribute nodes, and each attribute A_i has a hidden parent. It is different from HNB model where all attributes are concerned in hidden parent. However, in SHNB, we only select parts of most correlative attributes as the hidden parent for each attribute. What is more, we use variable $S_i (i = 1, 2, \dots, n)$ to stand for the hidden parent, expressed by a dashed circle in the Fig. 3. In Fig. 3, We can see that each hidden parent contains m attributes which are most correlative with attribute A_i . The value of m can be change in accordance with different data set. Generally, we need to experiment to determine the best value of m.

For SHNB algorithm, how to select appropriate attributes to a hidden parent is an important issue. This paper we adopt the method by computing the mutual information between the attributes. For example, we

calculate the conditional mutual information between the attribute A_1 and other attribute A_j ($j = 2, 3, \dots, n$), and select m attributes which have great conditional mutual information with attribute A_1 as hidden parent S_1 . Let $S_1 = \{A_{11}, A_{12}, \dots, A_{1k}, \dots, A_{1m}\}$.

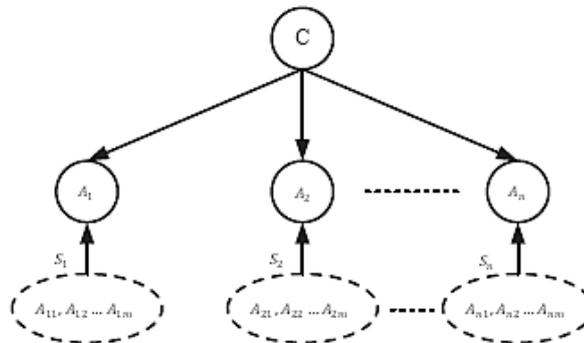


Fig. 3. The structure of SHNB

The classifier corresponding to SHNB on an instance E is defined in (7). The hidden parent S_i just contains parts of most correlative attributes.

$$c(E) = \operatorname{argmax}_{c \in C} P(c) \prod_{i=1}^n P(a_i | S_i, c) \quad (7)$$

where $P(a_i | S_i, c)$ denotes the conditional probability of the attribute A_i and its hidden parent, defined as:

$$P(a_i | S_i, c) = \sum_{k=1}^m W_{i-ik} * P(a_i | a_{ik}, c) \quad (8)$$

Where a_{ik} is the value of A_{ik} . W_{i-ik} represents the conditional mutual information between two attributes A_i and its hidden parent A_{ik} ($k = 1, 2, \dots, m$), which is defined as follows:

$$W_{i-ik} = \frac{I_p(A_i; A_{ik} | C)}{\sum_{k=1}^m I_p(A_i; A_{ik} | C)} \quad (9)$$

where $I_p(A_i; A_{ik} | C)$ is the conditional mutual information and is defined as:

$$I_p(A_i; A_{ik} | C) = \sum_{a_i, a_{ik}, c} P(a_i, a_{ik}, c) \log \frac{P(a_i, a_{ik}, c)}{P(a_i | c) P(a_{ik} | c)} \quad (10)$$

At classifier training phase, we need to estimate the parameters and determine the number of the correlative attributes for each attribute. Thus, learning a SHNB algorithm is depicted as:

Algorithm: Selective Hidden Naive Bayesian

```

for each  $c \in C$  do
  compute  $P(c)$  from  $D$ ;
end for
for each pair of attributes  $A_i$  and  $A_j$  do
  each assignment  $a_i, a_j$  and  $c$  to  $A_i, A_j$  and  $C$ ;
  compute  $P(a_i | a_j, c)$  from  $D$ ;
end for
for each  $A_i$  ( $i \in [0, 1]$ ) do
  compute  $I_p(A_i; A_j | C)$ ;
  sort  $I_p(A_i; A_j | C)$ ;
  select  $m$  most relevant attributes;
  set  $S_i = \{A_{i1}, A_{i2}, \dots, A_{ik}, \dots, A_{im}\}$ ;
end for
for each value  $c$  of  $C$  do
  compute the  $c(E)$ ;
end for

```

In our implementation of SHNB, conditional probability $P(a_i|a_j, c)$ and prior probability $P(c)$ are estimated using the M-estimation as follows:

$$P(c) = \frac{F(c) + \frac{1.0}{t}}{u + 1.0} \tag{11}$$

$$P(a_i|a_j, c) = \frac{F(a_i|a_j, c) + \frac{1.0}{n_i}}{F(a_j, c) + 1.0} \tag{12}$$

where $F(\bullet)$ is the frequency with which a combination of terms appears in the training data, u is the number of training examples, t is the number of classes, and n_i is the number of values of attribute A_i .

Obviously, when m approximates to n , SHNB model evolves into HNB model. But if m farless than n , SHNB algorithm can decrease computational complexity greatly, especially applied on high dimensional data sets.

IV. EXPERIMENTS AND RESULTS

We run our experiments on Weka by selecting 500 historical faults instance from the power communication network historic logs. The performance of each classifier is obtained via 10 runs of 10-fold cross validation. Runs with the various bayesian classification algorithms are carried out on the same training sets and evaluate on the same test sets. In order to construct a feasible fault diagnosis scheme for power communication network based on bayesian classifier, some steps can be referred as follows: 1) Acquire data from the fault management database; 2) Discrete numeric attribute values, and determine the attribute variables and fault class variables; 3) Choose a appropriate bayesian classification algorithm; 4) Learning the parameter (prior probability and conditional probability) of bayesian classifier through the training sample; 5) Fault diagnosis analysis according to the result of testing sample. The Fig. 4 presents the detailed flow chart.

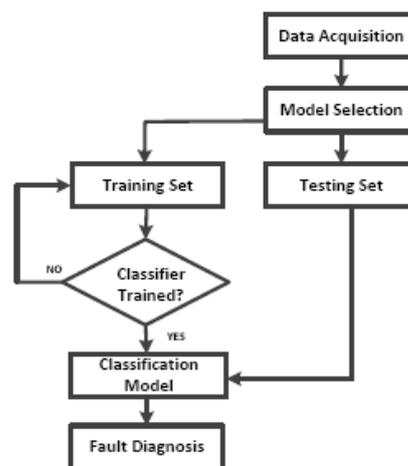


Fig. 4. Fault diagnosis steps based on bayesian classifier.

In the historical faults instance of power communication network. We summarize some symptom sets (attributes) and fault sets (classes), and they are shown in Table 2. The corresponding relationships between symptoms and fault are shown in Table 3 where $A_1 = 0, A_1 = 1$ respectively represent the interface manage state UP and DOWN. Attribute $A_2 = 0, A_2 = 1$ respectively represent interface operating state UP and DOWN. The value of $A_1, A_2, A_3, \dots, A_{10}$ being equal to 0 denote the attribute value in normal range. On the contrary, there are some faults in the power communication network when attribute value is equal to 1.

Table 2: Power communication network faults and symptoms.

Class	Fault	Attribute	Symptom
C_1	Interface down	A_1	Interface manage state
C_2	Port not match	A_2	Interface operating state
C_3	Line fault	A_3	Input packet loss rate
C_4	Buffer shortage	A_4	Output packet loss rate
C_5	Bandwidth shortage	A_5	Input error rate
C_6	Protocols not compatible	A_6	Output error rate
		A_7	Utilization

A_8	Unknown protocol rate
A_9	Broadcast packets
A_{10}	Connection speed

For simplest NB model, we put power communication network fault as the root node, and attributes as the leaf node. We find the cause of the malfunction by calculating the maximum posterior probability. In this model, all attributes are independent between them. In fact, there is a relationship between each other in many attributes. For example, the attribute A_4 has strong correlation with A_3 in Table 3. The NB model ignores dependencies between attributes A_4 and A_3 . Thus the accuracy of NB model is affected by its conditional independence assumption. However, if all attributes are concerned, such as HNB, some accidentals may be involved. It not only increases the classification time but also brings down the accuracy. Therefore, we put forward SHNB model combining NB model and HNB model. It can avoid the above problem by selecting parts of most correlative attributes.

Table 3: Training sample set; "*" denotes uncertain attribute value.

Number	A_1	A_2	A_3	A_4	A_5	A_6	A_7	A_8	A_9	A_{10}	Class
102	0	1	0	0	0	0	0	0	0	0	C_1
22	0	0	1	1	0	0	1	0	*	1	C_2
105	0	0	*	1	1	*	1	0	0	1	C_3
39	0	1	1	*	0	0	0	0	0	0	C_1
15	0	0	1	1	0	0	1	*	0	0	C_4
78	0	0	1	1	1	1	0	0	0	1	C_3
46	0	0	0	1	*	0	1	0	0	1	C_4
20	0	1	*	1	0	0	*	0	0	0	C_3
35	0	0	1	1	0	0	1	0	0	1	C_5
12	0	0	1	*	0	0	0	1	0	1	C_6
24	0	*	1	0	0	0	1	0	*	0	C_1
2	0	0	1	*	0	0	1	0	0	0	C_5

The accuracy of SHNB model has relation to the value of m . Therefore, we need to experimentally test accuracy on different m in historical instances. Fig. 5 describes the accuracy of SHNB classifier when m increases from 0 to 9. We can see that the accuracy is not increasing as m from Fig. 5, and SHNB classifier has the best accuracy when m equal to 2.

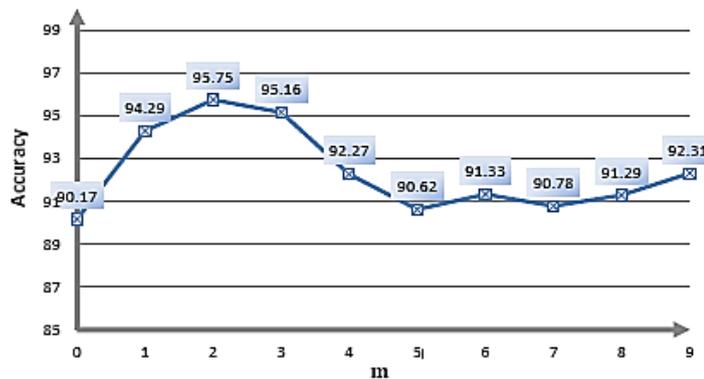


Fig. 5. The accuracy of SHNB algorithm in different m .

Hence, $m = 2$ when we introduce the process of establishing a SHNB model. Firstly, for each attribute, we need to compute the mutual information between it and other attributes. Then use the method of selection sort to choose two attributes with maximum mutual information. For instance, for attribute A_1 compute $I_p(A_i; A_j|C)$, then select the attributes A_2 and A_3 according to selection sort algorithm. Thus, the hidden parent S_1 contains attributes A_2 and A_3 . The similar way to select two most relevant attributes for other remaining attributes. SHNB diagnosis model is presented in Fig. 6 where each hidden parent contains two attributes. If we have an order of attributes: $A_1, A_2, A_3, \dots, A_{10}$, we can calculate approximate of $P(C|A_1, A_2, \dots, A_{10})$ by formula (7)(8)(9)(10) to find root fault.

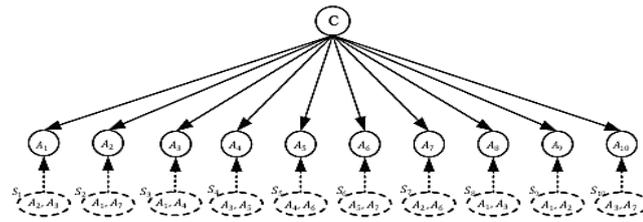


Fig. 6. The SHNB diagnosis model when $m = 2$

To verify the learning ability of bayesian classifier, we conduct our experiments to test the classifier accuracy in nine different number of training samples. We establish NB, TAN, HNB, and SHNB classifiers respectively with the number of training samples gradually increasing from 50 to 500. The accuracy of classifiers is shown in Table 4. We can see from Table 4, with the increase of training sample sets, each bayesian classifiers' classification accuracy becomes higher. This illustrates bayesian classifiers have strong learning ability by constantly improving the probability distribution parameters. In addition, as the training sample sets reach a certain number, the four classifiers' classification accuracy tend to be stable. What is more, we test the accuracy of indifferent m values of 1, 2, 3. Obviously, the accuracy of SHNB ($m = 2$) is overall the best among other three classifier compared in this paper and it can achieve more than 95% in accuracy as long as the training samples are enough.

Table 4: The accuracy of different training samples.

Training case	NB	TAN	HNB	SHNB(m=1)	SHNB(m=2)	SHNB(m=3)
50	50.96±0.53	43.67±2.13	53.15±0.91	51.84±0.52	56.78±1.36	52.9±0.71
100	67.42±0.87	63.44±1.33	66.76±1.35	65.43±1.17	69.41±2.53	68.25±0.89
150	73.26±1.65	71.53±1.04	74.98±1.28	75.71±0.95	77.14±0.72	74.36±1.47
200	75.94±1.56	77.16±0.71	80.22±1.14	79.65±0.87	83.51±0.94	82.09±1.03
250	83.26±2.57	85.78±1.35	86.53±1.57	86.94±2.21	88.54±1.76	87.66±1.97
300	88.63±0.65	89.87±2.03	90.14±1.19	90.56±2.15	92.16±1.76	92.04±0.55
350	90.09±0.78	91.46±1.27	93.31±1.44	92.44±0.97	95.13±0.81	94.77±1.21
400	90.21±0.75	92.52±1.15	94.58±0.79	94.29±1.22	95.75±0.99	95.16±1.54
500	90.26±0.32	93.14±0.95	94.77±0.59	95.01±0.96	95.92±0.85	95.22±1.17

As we know, the practical sample attribute information is often incomplete. In order to simulate the situation of attribute missing, we randomly take out 0-6 attributes of sample sets. The classification accuracy is shown in Table 5. We know from Table 5, all bayesian classifiers have higher classification accuracy when attribute value is not missing. With the number increasing of missing attribute, classifiers' classification accuracy decrease gradually. Specially, the accuracy of TAN decrease rapidly, because missing attribute value affect its' structure learning process. When missing attribute value is less than 3, all bayesian algorithm's classification accuracy maintain higher level and SHNB is the best one. Hence, SHNB has the advantages of flexible and fault tolerance, and can better deal with incomplete information.

Table 5: Accuracy of diagnosis with missing attribute samples.

Attribute missing	NB	TAN	HNB	SHNB(m=1)	SHNB(m=2)	SHNB(m=3)
0	90.21±0.75	92.52±1.15	94.58±0.79	94.29±1.22	95.75±0.99	95.16±1.54
1	89.42±0.64	86.89±2.94	89.36±2.35	90.53±1.46	91.65±1.27	91.14±1.85
2	88.24±1.36	84.52±1.24	88.25±0.22	89.76±0.73	90.53±0.85	88.92±1.43
3	86.89±1.87	80.78±1.76	84.74±1.63	85.55±0.97	85.79±1.12	86.32±0.87
4	73.16±3.47	70.28±2.83	72.72±2.17	78.14±2.19	88.54±1.76	78.75±1.98
5	69.31±2.29	61.68±3.03	70.24±3.19	69.26±3.48	79.35±2.16	70.06±2.24
6	60.44±2.71	52.33±3.24	64.18±3.85	65.21±2.55	66.71±2.37	64.16±3.57
Mean time/s	0.09	0.92	0.25	0.11	0.16	0.19

Although SHNB significantly outperforms NB, it slightly outperforms HNB in accuracy. In order to prove that SHNB has better performance than HNB, we compare the mean time of four bayesian classifiers. And the details are shown in last line of Table 5 where NB classifier costs least time and TAN classifier costs most. Compared to HNB, we can find that the test time of SHNB is shorter.

V. CONCLUSIONS

In this paper, we propose a high-efficient and knowledge-based diagnosis method called selective hidden naive bayesian (SHNB) classifier to diagnose the power communication network fault. Our algorithm selects the most relevant attributes as hidden parent for each attribute according to conditional mutual information. It not only consider the attribute correlativity, but also reduce high complexity. The experiment results show that SHNB classifier outperforms other classifiers in accuracy and test time. Our classifier' classification accuracy reaches more than 95% at the case of $m = 2$, and it costs less than HNB and TAN with same sample sets. Even if the attribute value is incomplete or inaccurate, our classifier still has high accuracy. Thus, it can be seen SHNB classifier has good learning ability and fault tolerance.

Acknowledgements

This work is supported by Project of the Sci-tech Progress Foundation of the State Grid Jiangxi Province Power Company (NO.52183514008g).

REFERENCES

- [1] Isermann R. Fault-diagnosis systems: an introduction from fault detection to fault tolerance[M]. Springer Science Business Media, 2006.
- [2] Gao, Z.; Cecati, C.; Ding, S.X. A survey of fault diagnosis and fault-tolerant techniques-Part I: fault diagnosis With model-based and signal-based approaches. IEEE Transactions on Industrial Electronics, 2015, 62, 3757-3767
- [3] V. Do and U. Chong, Signal model-based fault detection and diagnosis for induction motors using features of vibration signal in two-dimension domain, J. Mech. Eng., vol. 57, no. 9, pp. 655C666, Sep. 2011.
- [4] Dunnett, S.J.; Mao, L.; Jackson, L.M. Fault diagnosis of practical proton exchange membrane fuel cell system using signal-based techniques, 2015.
- [5] Chen J, Patton R J. Robust model-based fault diagnosis for dynamic systems[M]. Springer Science Business Media, 2012.
- [6] Simani, S.; Fantuzzi, C.; Patton, R.J. Model-based fault diagnosis in dynamic systems using identification techniques; Springer Science Business Media, 2013.
- [7] Fenton, W.G.; McGinnity, T.M.; Maguire, L.P. Fault diagnosis of electronic systems using intelligent techniques: a review. Systems, Man, and Cybernetics, Part C: Applications and Reviews, IEEE Transactions on 2001, 31, 269-281.
- [8] Zhang, Z.; Gu, X.; Xie, Y.; Wang, Z.; Wang, Z.; Chakrabarty, K. Diagnostic system based on support-vector machines for board level functional diagnosis. Test Symposium (ETS), 2012 17th IEEE European. IEEE, 2012, pp. 1-6.
- [9] Al-Shayea, Q.K. Artificial neural networks in medical diagnosis. International Journal of Computer Science Issues 2011, 8, 150-154.
- [10] Muralidharan, V.; Sugumaran, V. Feature extraction using wavelets and classification through decision tree algorithm for fault diagnosis of mono-block centrifugal pump. it Measurement 2013, 46, 353-359.
- [11] Koc, L.; Mazzuchi, T.A.; Sarkani, S. A network intrusion detection system based on a Hidden Naive Bayes multiclass classifier. Expert Systems with Applications 2012, 39, 13492-13500.
- [12] Dejaeger, K.; Verbraken, T.; Baesens, B. Toward comprehensible software fault prediction models using bayesian network classifiers. Software Engineering, IEEE Transactions on 2013, 39, 237-257.
- [13] Muralidharan, V.; Sugumaran, V. A comparative study of Naive Bayes classifier and Bayes net classifier for fault diagnosis of monoblock centrifugal pump using wavelet analysis. Applied Soft Computing 2012, 12, 2023-2029.
- [14] Jiang, L.; Zhang, H.; Cai, Z. A novel Bayes model: Hidden naive Bayes. Knowledge and Data Engineering, IEEE Transactions on 2009, 21, 1361-1371.
- [15] Jiang, L.; Wang, D.; Zhang, H.; Cai, Z.; Huang, B. Using instance cloning to improve naive Bayes for ranking. International Journal of Pattern Recognition and Artificial Intelligence 2008, 22, 1121-1140.
- [16] Gill, P.; Jain, N.; Nagappan, N. Understanding network failures in data centers: measurement, analysis, and implications. ACM SIGCOMM Computer Communication Review. ACM, 2011, Vol. 41, pp. 350-361.
- [17] Jiang L, Cai Z, Wang D, et al. Improving tree augmented naive bayes for class probability estimation[J]. Knowledge-Based Systems, 2012, 26: 239-245.